## Answer on Question \#57407 - Math - Calculus

## Question

Graph each equation be sure to identify the important features such as the center, verticies, foci, directrix and asymptotes. The graph is scaled 14 tall and 14 wide.

$$
\frac{(x+2)^{2}}{9}+\frac{(y-3)^{2}}{16}=1
$$

## Solution

The ellipse equation has the form

$$
\begin{gathered}
\frac{(x-h)^{2}}{b^{2}}+\frac{(y-v)^{2}}{a^{2}}=1 ; \\
\frac{(x+2)^{2}}{3^{2}}+\frac{(y-3)^{2}}{4^{2}}=1 ; \\
a=4 ; b=3 ; h=-2 ; v=3 ; \\
c=\sqrt{a^{2}-b^{2}}=\sqrt{7}
\end{gathered}
$$

This is ellipse with the center at ( $h, v$ ) $=(-2,3)$.
The vertices: $(h, v+a)=(-2,7), \quad(h, v-a)=(-2,-1),(h+b, v)=(1,3),(h-b, v)=(-5,3)$.
Foci: $(h, v+c)=(-2,3+\sqrt{7}),(h, v-c)=(-2,3-\sqrt{7})$.
Directrix: None.
Asymptotes: None.


